

SIDDHARTH INSTITUTE OF ENGINEERING & TECHNOLOGY:: PUTTUR
(AUTONOMOUS)

B.Tech. II Year II Semester Supplementary Examinations December-2025

STATISTICAL METHODS FOR DATA SCIENCE

CSE(Artificial Intelligence & DataScience)

Time: 3 Hours

Max. Marks: 70

PART-A

(Answer all the Questions 10 x 2 = 20 Marks)

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|-----|--|-----|----|----|
| 1 a | Define Mathematical Expectation with an example | CO1 | L1 | 2M |
| b | The Mean and Variance of a Binomial Distribution are 4 and 4/3 respectively. Find n, p and q. | CO1 | L1 | 2M |
| c | What is the formula for the modified minimum Chi-Square method | CO2 | L1 | 2M |
| d | Define Estimation, Estimate and Estimator | CO2 | L1 | 2M |
| e | Define Confidence Interval and Confidence Coefficient | CO3 | L1 | 2M |
| f | Find the Lower, Upper Confidence Limits and also Confidence Coefficient for $P[0 \leq \theta \leq 1.5] = 0.90$ | CO4 | L3 | 2M |
| g | State Neyman-Pearson Fundamental Lemma. | CO5 | L1 | 2M |
| h | Define Null Hypothesis. | CO5 | L1 | 2M |
| i | What is the difference between Small sample and Large Sample | CO6 | L1 | 2M |
| j | Write the Formula for F- Test. | CO6 | L1 | 2M |

PART-B

(Answer all Five Units 5 x 10 = 50 Marks)

UNIT-I

- 2 Two dice are thrown. Let X assign to each point (a,b) in S the maximum of numbers a,b. i.e, $X(a,b) = \max(a,b)$. Find the Probability Distribution of X. Also, find the mean and variance of the distribution.

OR

- 3 In a Normal distribution, 7% of the items are under 35 and 89% are under 63. Determine the mean and variance of the distribution.

UNIT-II

- 4 Suppose that the random sample has a normal distribution $N(\mu, \sigma^2)$. Determine the Maximum Likelihood Estimator
(i). for μ when $\sigma^2 = 1$ (ii). for σ^2 when $\mu = 0$ is known

OR

- 5 The following data represents the body weight Y (in kg), body length X1 (in cm) and body breadth X2 (in cm) of 12 randomly selected sea fish.

X1	12	20	14	25	18	16	10	18	18	20	16	12
X2	4	7	6	12	10	8	4	8	9	10	7	4
Y	0.5	0.8	0.7	2	1.2	0.9	0.4	0.9	1.4	1.5	0.8	0.6

Assume the linear model of Y, X1 and X2 as $Y = a + bX1 + cX2$. Estimate the parameters a, b & c by the method of least squares.

UNIT-III

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|-----|---|-----|----|----|
| 6 a | A factory is producing 50,000 pairs of shoes daily from a sample of 500 pairs 2% were found to be substandard quality. Estimate the no. of pairs that can be reasonably expected to be spoiled in the daily production and assign limits at 95% confidence level. | CO3 | L2 | 5M |
| b | A sample of 7 boxes of a certain cereals with the following weights: 775, 780, 781, 795, 803, 810, 823. Find 95% confidence interval for variance. | CO4 | L3 | 5M |

OR

- 7 From the lots of transparent polyester film sheets produced by two machines samples are taken from both the machines and thickness values of the film sheets in millimicrons are measured. The results are given below.

Machine	Sample Size	Mean	Sample Variance
1	10	115	25
2	12	112	9

- (i). Compute 95% confidence intervals for the difference of population means assuming that the unknown population variances are equal.
(ii). Compute 99% confidence intervals for the difference of population means assuming that the unknown population variances are not equal.

UNIT-IV

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|-----|--|-----|----|
| 8 a | Explain about Likelihood Ratio Test. | CO5 | L2 |
| b | Obtain the best critical region for testing null hypothesis $H_0: \lambda = \lambda_0$ against $H_1: \lambda = \lambda_1$ for an exponential distribution $f(x, \lambda) = \lambda e^{-\lambda x}$ | CO5 | L3 |

OR

- 9 Suppose $x_1, x_2, x_3, \dots, x_n$ a random sample from a normal distribution with mean μ and variance 16. Find the best critical region with a sample size of $n=16$ and a significance level $\alpha = 0.05$ to test the simple null hypothesis $H_0: \mu=10$ against a simple alternative hypothesis $H_1: \mu=15$.

UNIT-V

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|------|---|-----|----|
| 10 a | A Sample of 26 Bulbs gives a Mean Life of 990 Hours with a Standard Deviation of 20 Hours. The Manufacturer Claims that the Mean Life of Bulbs is 1000 Hours. Is the Sample not up to the Standard? | CO6 | L4 |
| b | Find the Maximum Difference that we can expect with Probability 0.95 between the Mean of Samples of Sizes 10 and 12 from a Normal Population if their Standard Deviations are Found to be 2 and 3 Respectively. | CO6 | L3 |

OR

- 11 The Nicotine in Milligrams of two Samples of Tobacco were Found to be as Follows.

Sample A	24	27	26	21	25	---
Sample B	27	30	28	31	22	36

Can it be said that the two Samples have come from the same Normal Population.

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